



# Model Compression

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# Goal

- ▶ Real time execution (Time efficient)
- ▶ Lower Power consumption
- ▶ Lower memory consumption
- ▶ Smaller size (Less-parametrized in size)
- ▶ Performance

部署: 云服务器端 ? 移动端 ?

### 训练模型 VS 云服务器端推理 VS 移动端推理 :

**训练**-[模型格式转换-优化-验证-部署]

► **模型实时性:**

Execution Time (Speed / latency)

Memory Access Cost (MAC) / Memory Bandwidth

Parallelism Degree

► **模型大小与能耗:**

Num of Parameters

MACs / FLOPs

Energy Cost

► **性能:**

Test Error / Accuracy

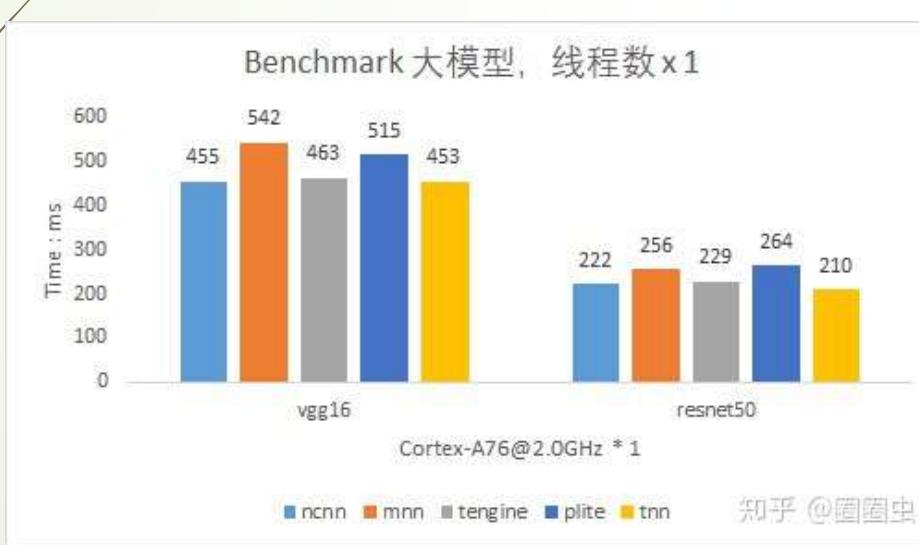
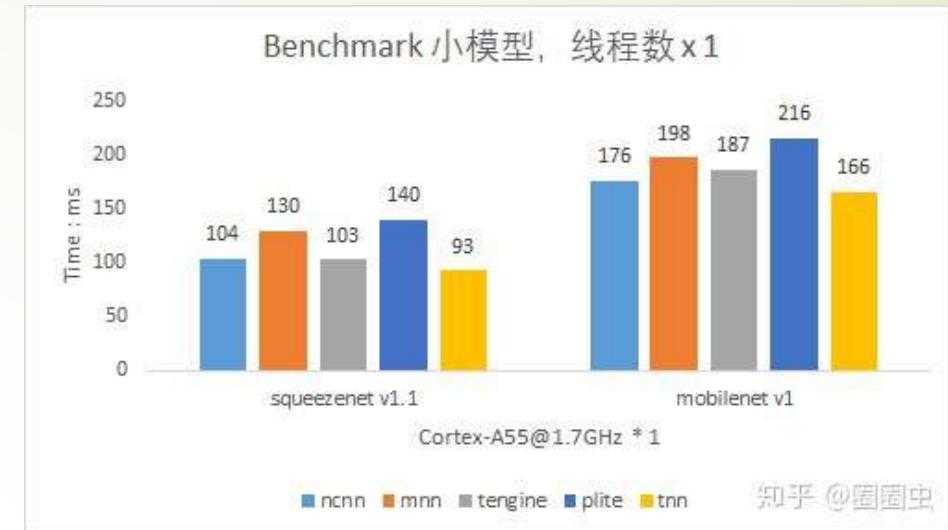
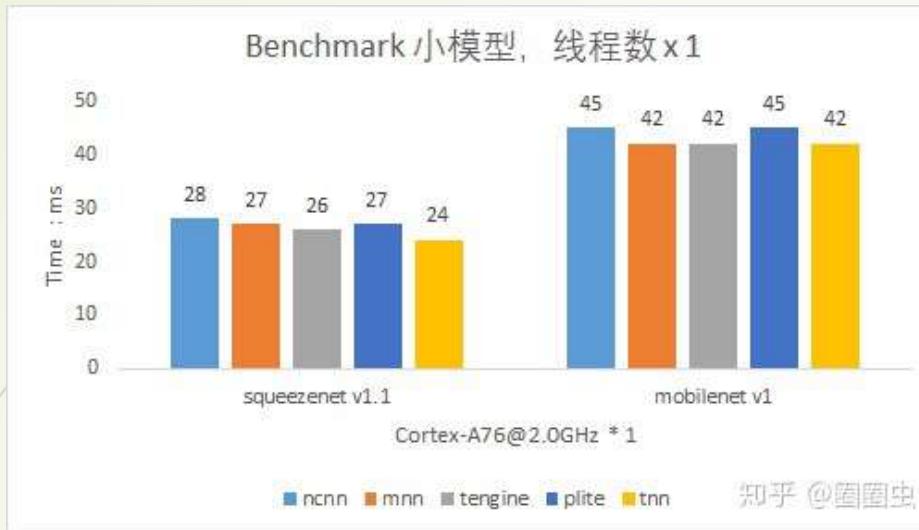
# 移动端 推理框架

- ▶ Online VS Offline
  - Online: 数据上传到Server , 然后返回结果 -> **服务器端**
  - Offline: 直接手机移动端跑 -> **移动端**
- ▶ CPU: (ARMv7, ARMv8, X86, MIPS, RISC-V) CPU端优化(是否汇编优化) ? 是否使用Arm NEON , OpenCL以及Hexagon HVX (DSP)等优化 ? 是否设计thread pool ?
- ▶ GPU: (Mali, Adreno, Metal, NV, AMD, PowerVR) 高效的kernel ? 是否使用OpenGL, Metal等 ?
- ▶ 模型层面 -> Researchers

# 移动端 推理框架

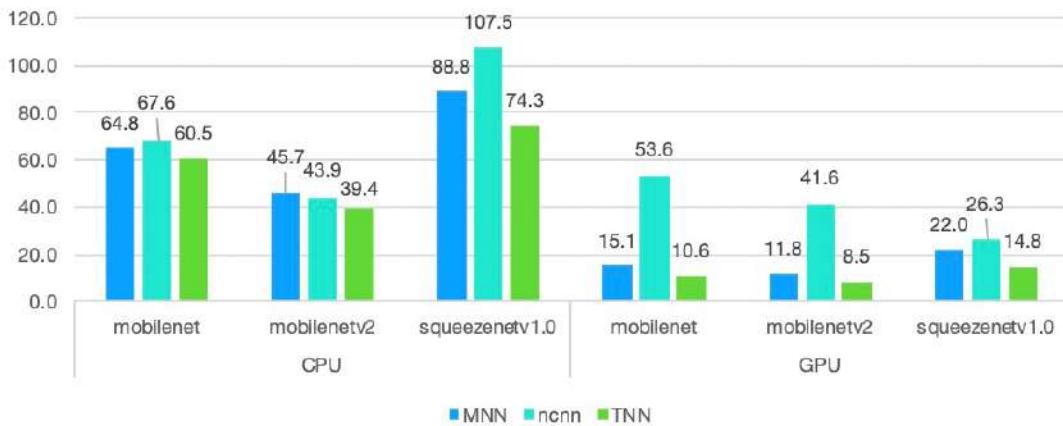
训练-[模型格式转换-优化-验证-部署]

- ▶ [2017] **NCNN**/FeatherCNN: float32, CPU优化, GPU速度无优化, C++接口 [[link](#)]
- ▶ [2017] TensorFlow Lite: Android, IOS, Linux SoCs IoT设备, Python接口
- ▶ [2017] Paddle Lite: CPU+GPU均优化, Python接口 [[link](#)]
- ▶ [2017] Tengine-Lite: 支持CPU与GPU , C++接口
- ▶ [2018] **MACE**: CPU+GPU均优化, Python接口
- ▶ [2018] Facebook QNNPACK, [2017] 九言科技 Prestissimo
- ▶ [2018] **PocketFlow**: 自动模型压缩
- ▶ [2019] **MNN**: CPU+GPU均优化, Python接口
- ▶ [2020] **TNN**: CPU+GPU均优化, 低精度优化, 内存优化 , C++接口 [[link](#)]
- ▶ **CoreML**: 局限于苹果设备

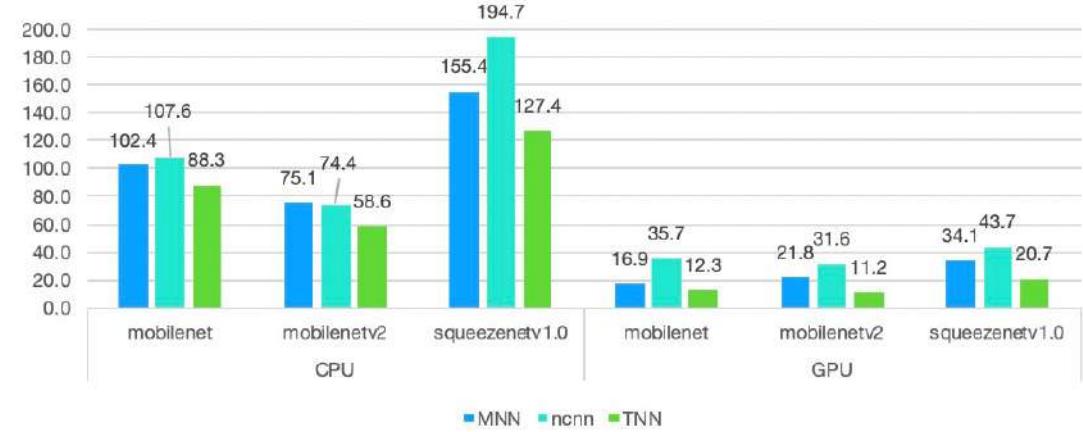


腾讯ncnn, 腾讯TNN, 阿里mnn, 开放智能Tengine, 百度Paddle-Lite, 小米MACE

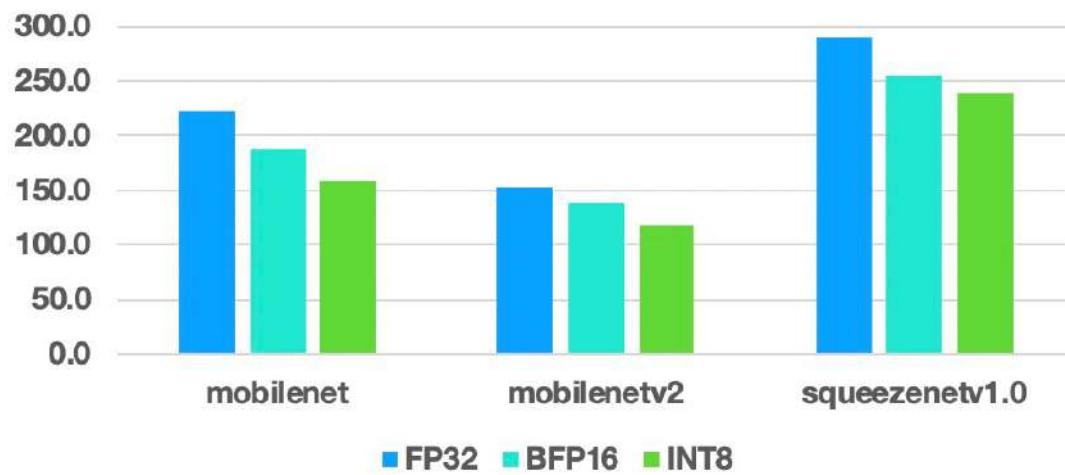
### 骁龙845性能



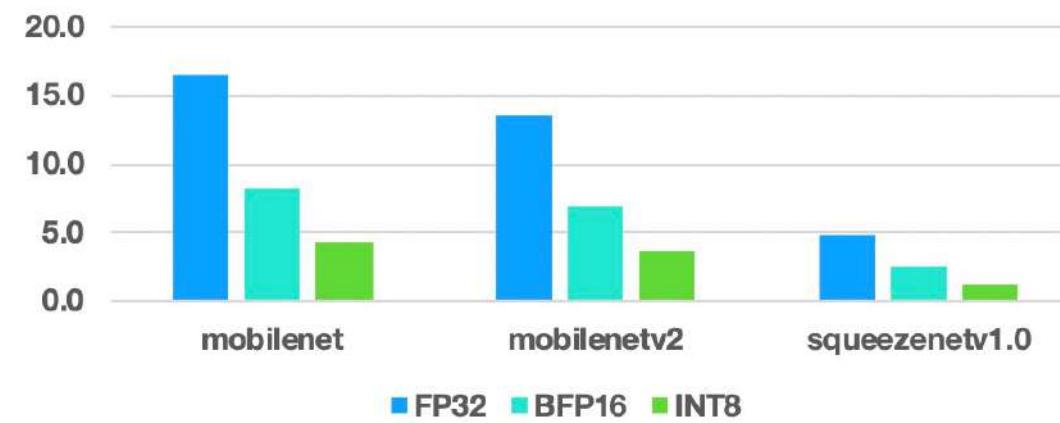
### 麒麟970性能



模型耗时(ms)



模型尺寸(MB)



| CPU: 2.4GHz i5<br>GPU: GTX1060 6G<br>RTX 3090 | Method         | Time (CPU/GPU)<br>(s)           | Num of Params<br>(M) | MACs<br>(G)            |
|---|----------------|---------------------------------|----------------------|------------------------|
| FR  | C3DVQA         | 318.35 /<br>3.30<br>(GPU: 3090) | 0.2272               | 1423.3642              |
|   | (传统) V-BLIINDS | CPU: 88.24<br>(Feature)         | -                    | -                      |
|   | (传统) VIIDEO    | CPU: 79.15                      | -                    | -                      |
|   | VSFA           | 423.68 / 18.89 /<br>5.17        | 0.5565               | 0.1296                 |
|   | (传统) TLVQM     | CPU: 52.98                      | -                    | -                      |
|   | CNN-TLVQM      | 51.06 / 39.31<br>(Feature)      | 23.570693            | Ref: ResNet50:<br>4.12 |
|   | (传统) RAPIQUE   | 22.61<br>(Feature)              | -                    | -                      |

video\_height: 540, video\_width: 960, video\_channel: 3, video\_length: 240, 8 Seconds, 30 FPS

# Model Complexity

- ▶ Num of Parameters (Params):
  - ▶ Conv:  $(K_{in} \times K_{out} \times C_{in} + 1) \times C_{out}$
  - ▶ FC:  $N_{in} \times N_{out} + N_{out}$
- ▶ Floating Point Operations (FLOPs) (注意区别于FLOPS):
  - ▶ Conv:  $2K_{in} \times K_{out} \times C_{in} \times C_{out} \times H_{out} \times W_{out}$
  - ▶ FC:  $(2N_{in} - 1)N_{out}$
- ▶ Multiply-accumulate Operations (MACC/MACs):  $\approx \frac{1}{2}$  FLOPs

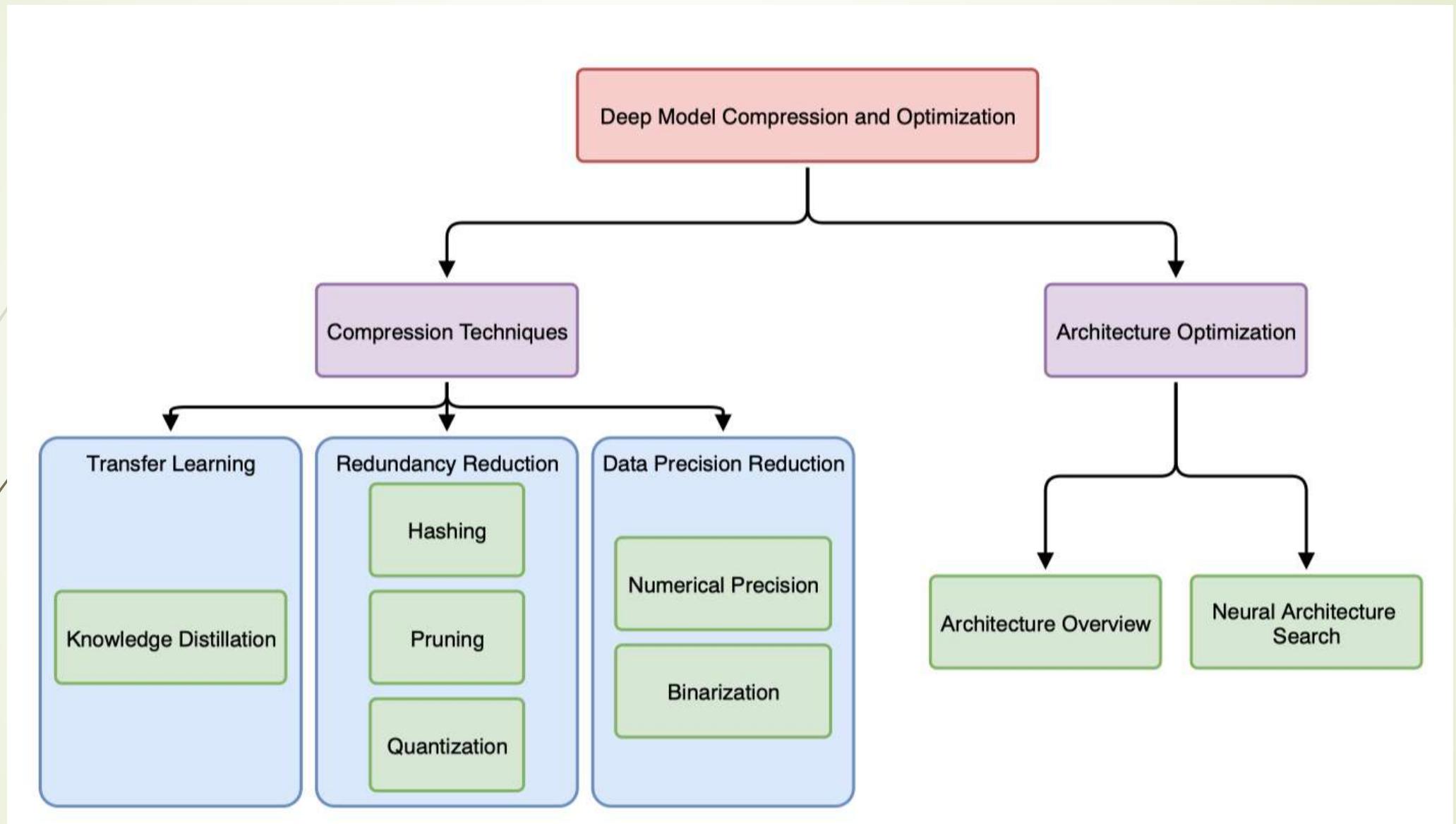
# Current Main-stream Methods

## Static Model Acceleration

- Smaller: **Pruning**: pixel (weight), vector, channel, filter
- Lower: **quantization**: scalar, vector / **Binarization**
- Less computation - Low rank approximation, Winograd transformation
- Faster: **Architecture Design** - SqueezeNet, MobileNet, Shufflenet

## Dynamic execution

- SBNet
- SGAD
- Dynamic channel pruning



# Pruning

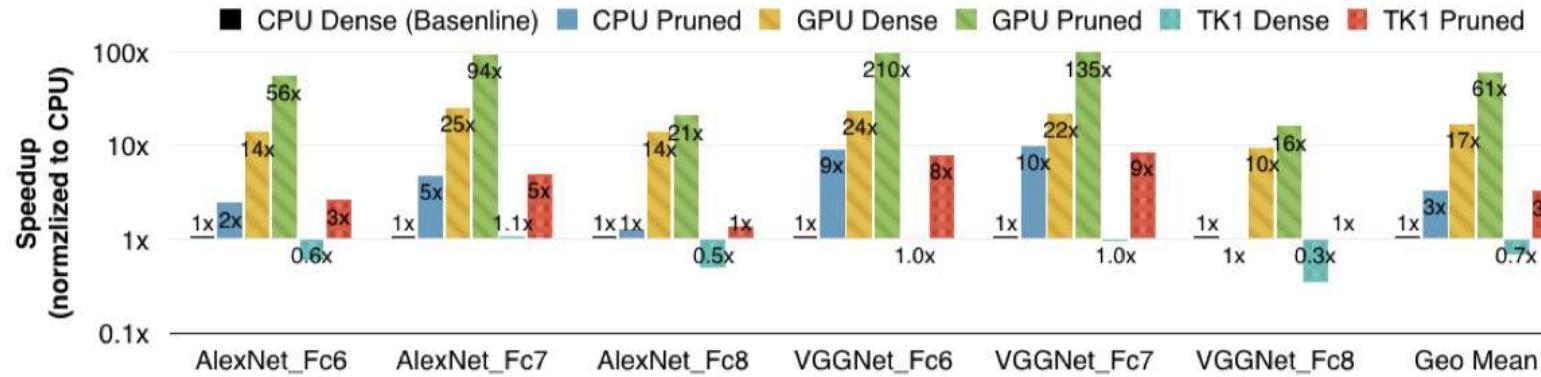


Figure 9: Compared with the original network, pruned network layer achieved 3 $\times$  speedup on CPU, 3.5 $\times$  on GPU and 4.2 $\times$  on mobile GPU on average. Batch size = 1 targeting real time processing. Performance number normalized to CPU.

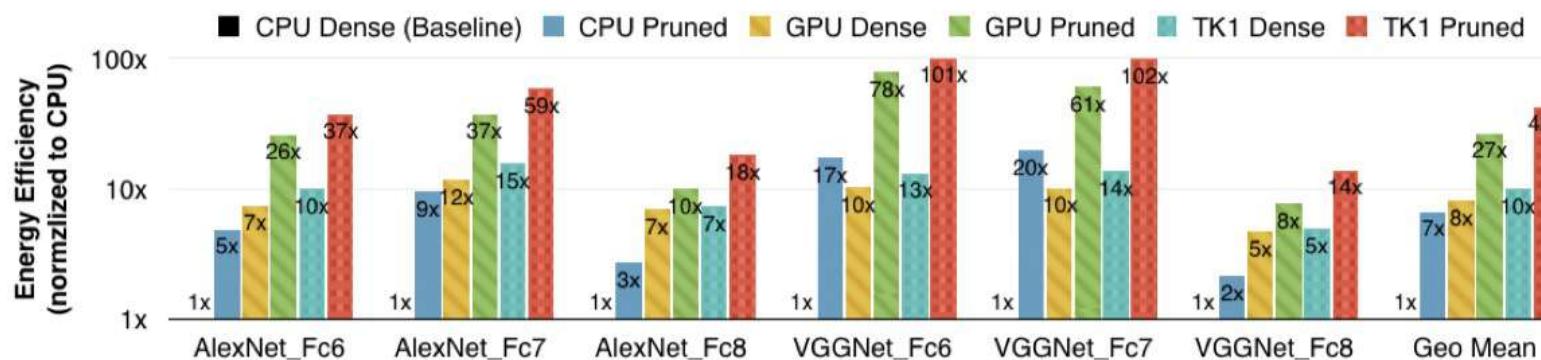


Figure 10: Compared with the original network, pruned network layer takes 7 $\times$  less energy on CPU, 3.3 $\times$  less on GPU and 4.2 $\times$  less on mobile GPU on average. Batch size = 1 targeting real time processing. Energy number normalized to CPU.

# Quantization

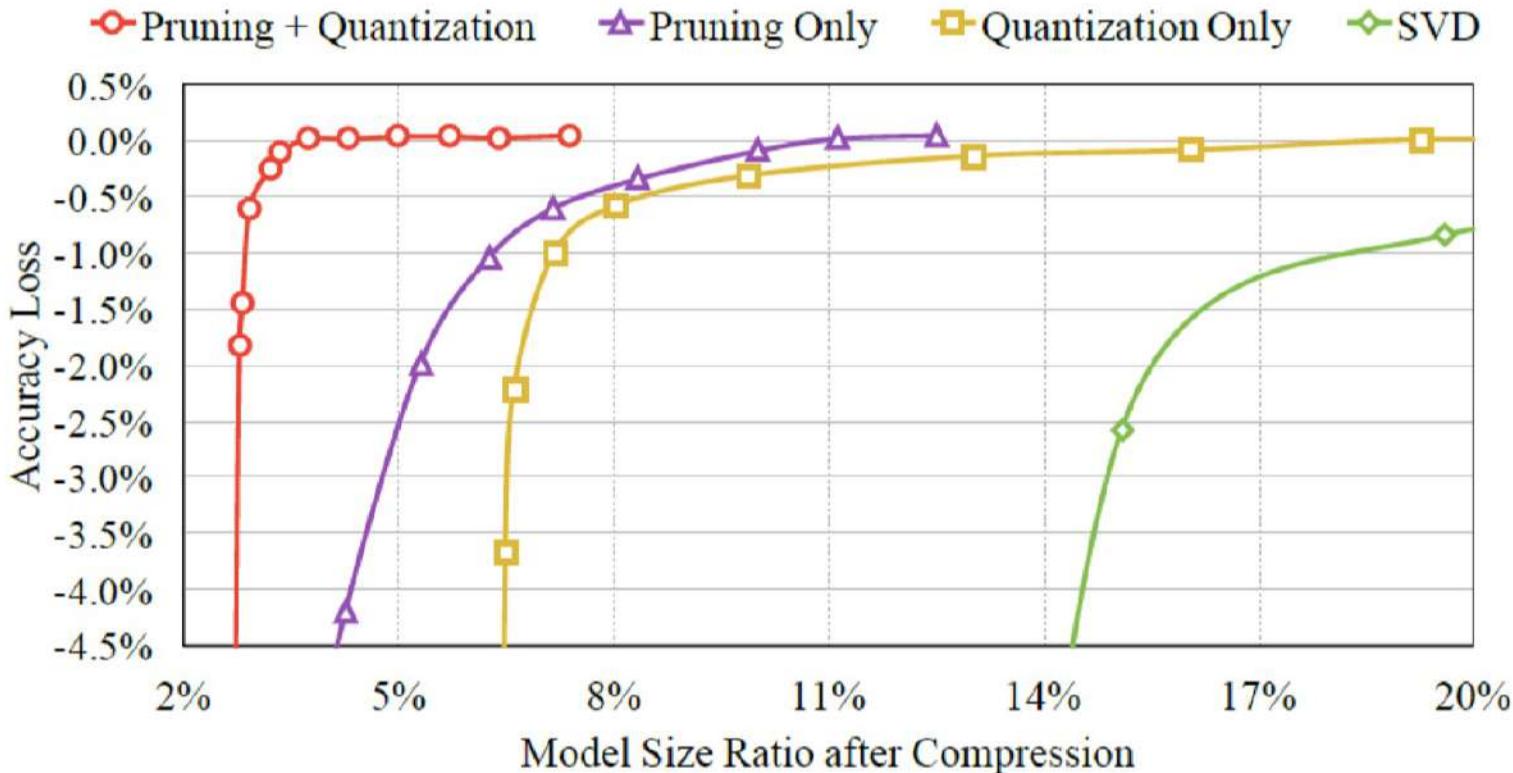


Figure 4.9: Accuracy vs. compression rates under different compression methods. Pruning and quantization works best when combined.

Pruning + Quantization:

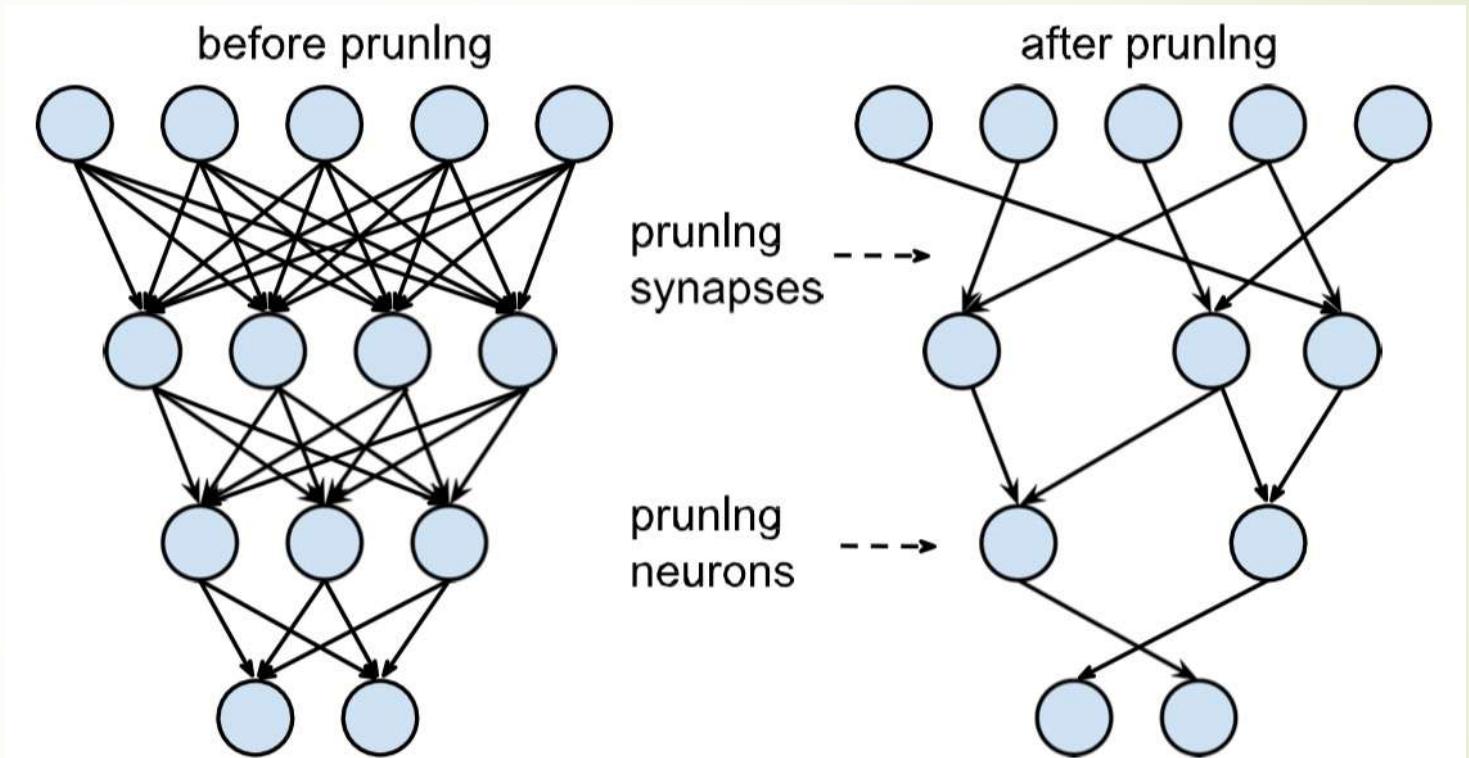
Size: 30 – 50 Times compression

**Memory Bandwidth:** Reduced by 30 – 50 X

**Binarization:** 50 – 60 X faster, 30 X smaller

# Network Pruning

- Not all weights are created equal importance
- Prune unimportance weight:  
**If ( $w < \text{threshold}$ )  $w = 0$**
- Define Importance:  
**L1 (better) or L2 Norm**
- Iterative pruning



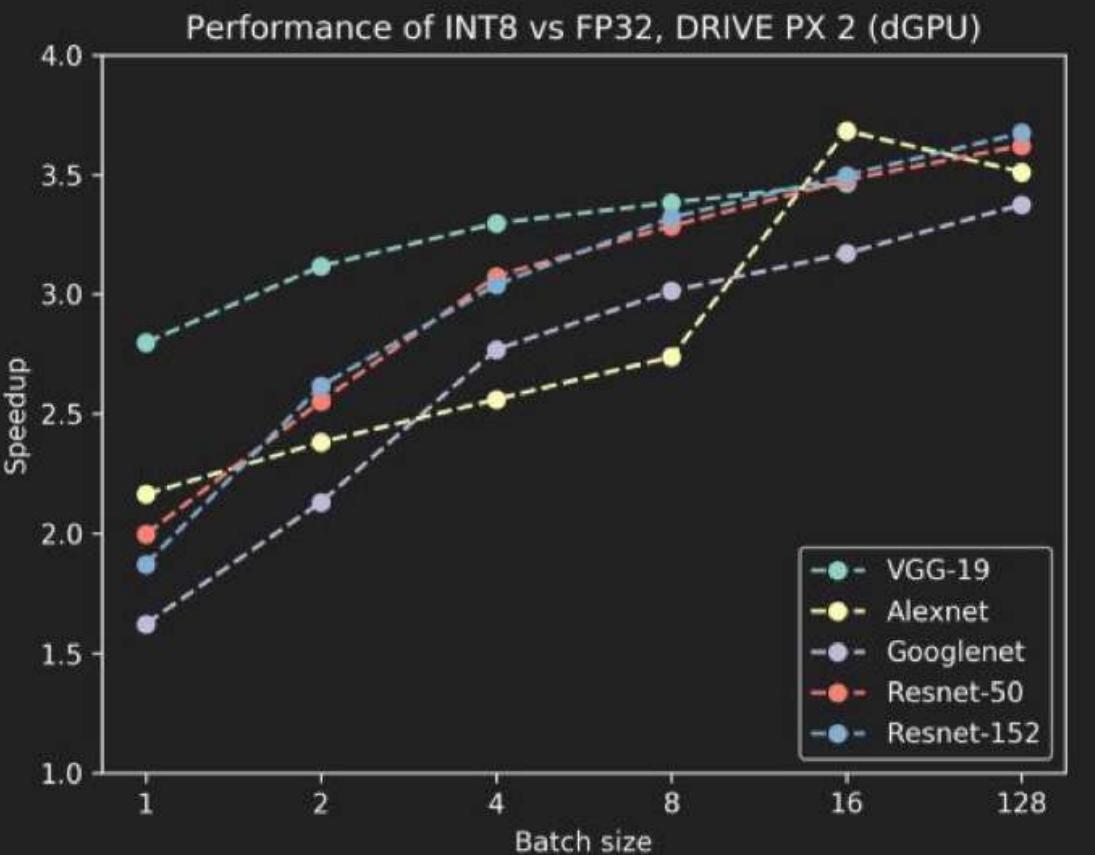
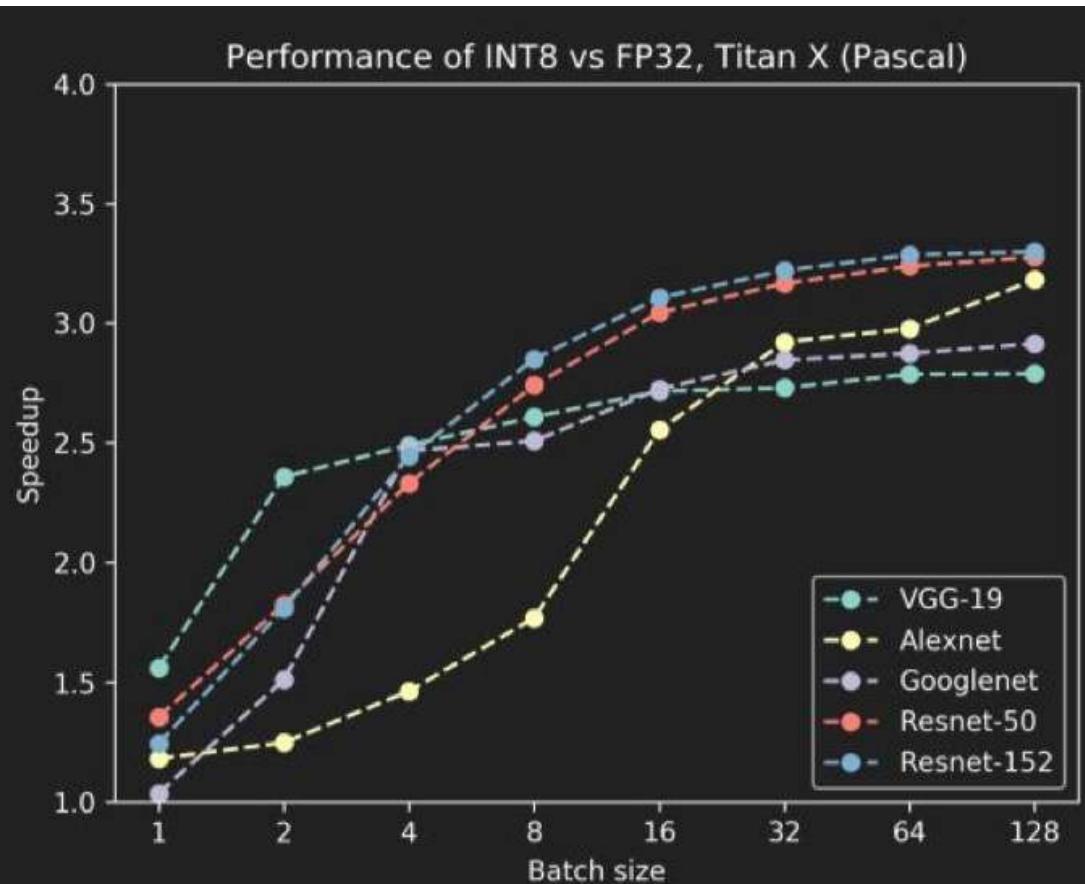
# Some Conclusions

- (1) 训练好模型，Pruning完，重新微调，才能恢复准确率。
- (2) (**Weight Pruning**) Iterative pruning比direct pruning能取得更好的效果；  
L2 regularization+ iterative prune + retrain效果好
- (3) (**Weight Pruning**) 对于CNN模型来说，比如说AlexNet, 浅层的Conv对Pruning比较Sensitive (25%左右), 深层的Conv不太sensitive (50%左右), FC对Pruning也不sensitive (75%左右)
- (4) (**Weight Pruning**) Fine grained level pruning需要有比较高的sparsity, 才有加速效果
- (5) (**Filter Pruning**) Pruning小的参数值(L1 Norm better)要比随机Pruning效果好。
- (6) (**Channel Pruning**) 大模型Pruning后变为小模型，从头开始训练，然后拉长训练时间，效果好

# Weight and Activation Quantization



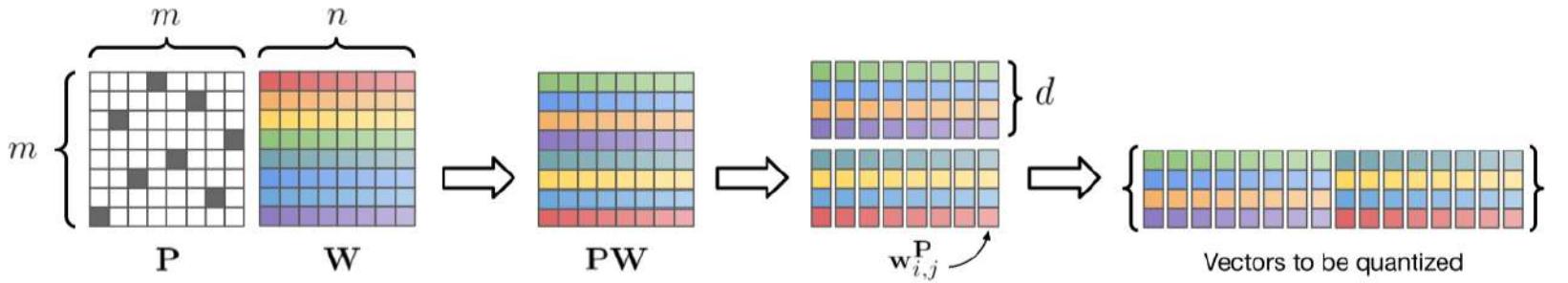
- ▶ Scalar Quantization: **reducing numerical precision**
- ▶ Vector Quantization: **remove redundancies**
- ▶ Definition:
  - 32-bit  $\rightarrow$  16-bit / 8-bit / 4-bit / binary / ternary
  - float 16 / int 8**
  - encodes the **same information** as the original FP32 model
- ▶ TensorRT Method:
  - (1) **KL divergence:** measures the amount of information lost when approximating a given encoding
  - (2) **Calibration:** Quantized Distortions with different Saturation Threshold: Activation Values



TensorRT 2.1, all optimizations enabled.

# Some Conclusions

- 
- (1) Weights Representation:  
-> Conv: 4 bits; FC: 2 bits
  - (2) Pruning + Quantization  
-> 30 – 50 X Size Compression, Memory Bandwidth: Reduced by 30 – 50 X
  - (3) Binary (+/-1)/ ternary (+/-1, 0) weights and activations Quantization:  
-> 20, 50 – 60 X faster, 30 X smaller
  - (4) Low-rank Approximation: 2 – 5 X faster
  - (5) Winograd Convolution: 1.3 – 2.25 less multiplications



**Figure 1: Permutation optimization of a fully-connected layer.** Our goal is to find a permutation  $\mathbf{P}$  of the weights  $\mathbf{W}$  such that the resulting subvectors are easier to compress.

► **Motivation:** exploits the *invariance* of neural networks under permutation of their weights for the purpose of vector compression.

► **Why  $\hat{W} \approx W$ : Remove redundancies;**  
Activations of the layer should be similar.

► **Why Permutation:** minimize the spread of the vectors by minimizing the determinant of the covariance of the resulting subvectors (Rate-distortion Theory)

$$\begin{array}{ccccccc}
 & m \times n & & m \times n & & \hat{m} \times n & \\
 P & W & \rightarrow & P W & \rightarrow & (P W)' & \rightarrow \hat{W} \\
 & \text{Permutation} & & \text{encoding} & & \text{Quantization} & \\
 & & & & & \hat{m} = \frac{m}{d} &
 \end{array}$$

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## Abstract

Compressing large neural networks is an important step for their deployment in resource-constrained computational platforms. In this context, *vector quantization* is an appealing framework that expresses multiple parameters using a single code, and has recently achieved state-of-the-art network compression on a range of core vision and natural language processing tasks. Key to the success of vector quantization is deciding which parameter groups should be compressed together. Previous work has relied on heuristics that group the spatial dimension of individual convolutional filters, but a general solution remains unaddressed. This is desirable for pointwise convolutions (which dominate modern architectures), linear layers (which have no notion of spatial dimension), and convolutions (when more than one filter is compressed to the same codeword). In this paper,

are often overparameterized [5], which implies that it is possible to compress them – thereby reducing their memory and computation demands – without much loss in accuracy.

*Scalar quantization* is a popular approach to network compression where each network parameter is compressed individually, thereby limiting the achievable compression rates. To address this limitation, a recent line of work has focused on *vector quantization (VQ)* [13, 47, 54], which compresses multiple parameters into a single code. Conspicuously, these approaches have recently achieved state-of-the-art compression-to-accuracy ratios on core computer vision and natural language processing tasks [10, 48].

A key advantage of VQ is that it can naturally exploit redundancies among groups of network parameters, for example, by grouping the spatial dimensions of convolutional filters in a single vector to achieve high compression rates. However, finding which network parameters should be com-

## Algorithm 1 SR-C: Stochastic relaxation of $k$ -means.

```

1: procedure SR-C( $\{\mathbf{w}_{i,j}^{\mathbf{P}_t}\}, \Sigma_t, k, T, \gamma$ )
2:    $\mathbf{B}_t \leftarrow \text{INITIALIZECODES}(k)$ 
3:   for  $\tau \leftarrow 1, \dots, T$  do
4:     # Add scheduled noise to subvectors
5:     for  $\mathbf{w}_{i,j}^{\mathbf{P}_t} \in \{\mathbf{w}_{i,j}^{\mathbf{P}_t}\}$  do
6:        $\mathbf{x}_{i,j} \sim \mathcal{N}(\mathbf{0}, \text{diag}(\Sigma_t))$ 
7:        $\hat{\mathbf{w}}_{i,j}^{\mathbf{P}_t} \leftarrow \mathbf{w}_{i,j}^{\mathbf{P}_t} + (\mathbf{x}_{i,j} \times (1 - (\tau/T)))^\gamma$  Add noise
8:     end for
9:     # Noisy codebook update
10:     $\mathcal{C}_t \leftarrow \arg \min_{\mathcal{C}} \sum_{i,j} \|\hat{\mathbf{w}}_{i,j}^{\mathbf{P}_t} - \mathbf{c}(b_{i,j})\|_2^2$  Update Centroids
11:    # Regular codes update
12:     $\mathbf{B}_t \leftarrow \arg \min_{\mathbf{B}} \sum_{i,j} \|\mathbf{w}_{i,j}^{\mathbf{P}_t} - \mathbf{c}(b_{i,j})\|_2^2$ 
13:  end for
14:  return  $\mathbf{B}_t, \mathcal{C}_t$ 
15: end procedure

```

$$E_t = \min_{\mathbf{P}_t, \mathbf{B}_t, \mathcal{C}_t} \frac{1}{\hat{m}n} \|\widehat{\mathbf{W}}_t - \mathbf{P}_t \mathbf{W}_t\|_F^2$$

$$W = \begin{bmatrix} W_{1,1} & W_{1,2} \dots W_{1,n} \\ W_{2,1} & W_{2,2} \dots W_{2,n} \\ \vdots & \vdots \ddots \vdots \\ W_{m,1} & W_{m,2} \dots W_{m,n} \end{bmatrix}$$

Codeword size  $d$

$m = \frac{n}{d}$

$n \cdot n = \text{total number of subvectors}$

$\{W_{ij}\}$ : a collection of  $d$ -dimensional blocks

$$C = \{c(1), \dots, c(k)\} \subseteq \mathbb{R}^{d \times 1}$$

Codebook

Centroids

$$b_{ij} = \underset{t}{\operatorname{argmin}} \|W_{ij} - c(t)\|_2^2$$

$$\in \{1, \dots, k\}$$

"the index of the element in  $C$  that is closest to  $W_{ij}$  in Euclidean space"

$$W \in \mathbb{R}^{Cin \times Cout \times k \times k}$$

$\downarrow$  reshape

$$W_r \in \mathbb{R}^{Cin^2 \times Cout}$$

$\downarrow$  encoding

$$\hat{W}_r \in \mathbb{R}^{\frac{Cin^2}{d} \times Cout}$$

$\downarrow$  inverse of reshape

$$W \in \mathbb{R}^{\frac{Cin}{d} \times Cout \times k \times k}$$

$$\hat{W} = \begin{bmatrix} c(b_{1,1}) & c(b_{1,2}) \dots c(b_{1,n}) \\ c(b_{2,1}) & c(b_{2,2}) \dots c(b_{2,n}) \\ \vdots & \vdots \ddots \vdots \\ c(b_{k,1}) & c(b_{k,2}) \dots c(b_{k,n}) \end{bmatrix}$$

# Low Complexity or Compact Model

- ▶ SqueezeNet: 50 X size compression
  - ▶ 1 X 1 Pointwise – (3 X 3 Conv + 1 X 1 Conv)
- ▶ MobileNet:
  - ▶ V1: Depthwise separable Conv → 3 X 3 Depthwise Conv + 1 X 1 Pointwise Conv
    - > 1 / Kernel\_size<sup>2</sup> Params
    - > 3 X 3 DW后的ReLU6去掉后，Quantization好做
  - ▶ V2: Inverted residual + Linear bottleneck
    - > 1 X 1 Pointwise + 3 X 3 Depthwise + 1 X 1 Pointwise
    - > Short connection + wide middle layer
  - ▶ V3: V2 + Squeeze-and-Excite
- ▶ ShuffleNet:
  - ▶ V1: Point-wise Group Conv + Channel Shuffle
    - > 1 / Group Params
  - ▶ V2

## ShuffleNet V2

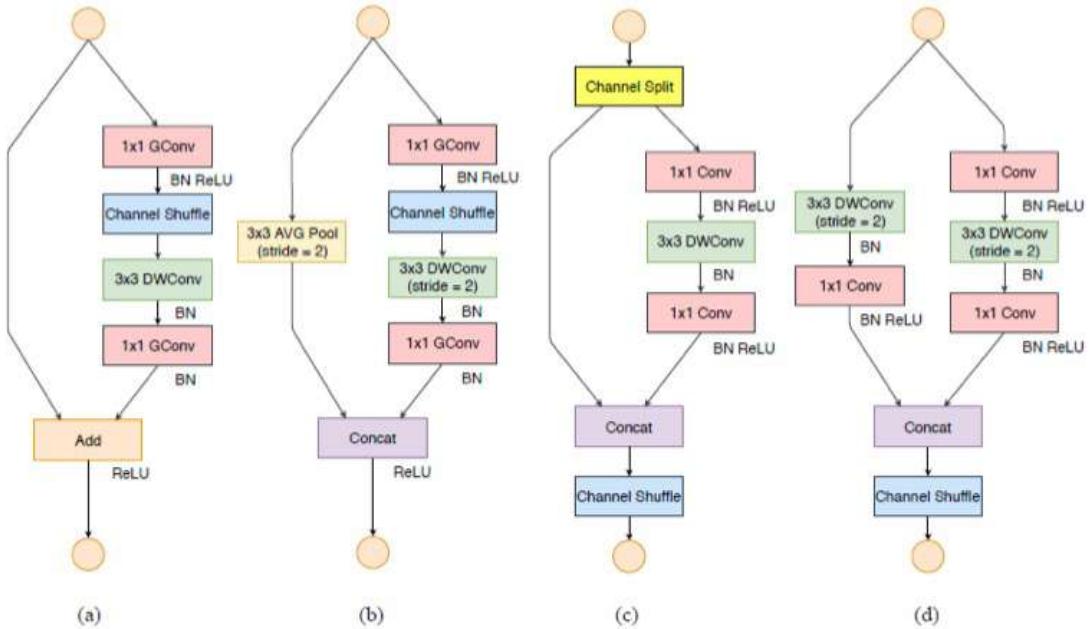


Fig. 3: Building blocks of ShuffleNet v1 [15] and this work. (a): the basic ShuffleNet unit; (b) the ShuffleNet unit for spatial down sampling ( $2\times$ ); (c) our basic unit; (d) our unit for spatial down sampling ( $2\times$ ). **DWConv**: depthwise convolution. **GConv**: group convolution.

- ▶ Short-cut Element-wise计算的部分：  
不用add，直接concat
- ▶ Excessive group convolution increases MAC  
  
不做Group Conv：直接做channel split，  
随后直接PW-DW-PW，到最后concat后再做channel Shuffle



谢谢！